Name $\qquad$
ECOL 8520
Spring 2017

## Fundamentals of Disease Biology II Exam 1

How to ace this exam: (1) Read each question carefully, (2) STOP AND THINK ABOUT IT, (3) Be concise and specific (4) Use only the space provided. There are a total of 50 points possible. The points for each question are displayed - bear this in mind and utilize your time accordingly. Questions appear on both sides of the paper. Please write lucidly and legibly.

Good Luck!

## Points

Points Page 1: $\qquad$ /16

Points Page 2: $\qquad$ /18

Points Page 3: $\qquad$ /13

Points Page 4: $\qquad$ /3

TOTAL: $\qquad$


## A. Multiple Choice Questions (2 pts each): <br> Circle the single best answer.

1) Which of the following is NOT true of $R_{0}$ in density-dependent transmission?
a. Increases with increasing transmission rate
b. Increases with increasing host recovery rate
c. Decreases with increasing virulence rate
d. Decreases with increasing host death rate
e. All of the above
2) You know the basic reproductive number of phocine distemper virus in harbor seals is about 5 , the probability of dying from it is $\sim 60 \%$ and the annual per capita birth and death rates in a given population are both 0.1. What percentage of the population will need to be vaccinated in order to prevent an outbreak?
a. $100 \%$
b. $95 \%$
c. $80 \%$
d. $20 \%$
e. $83 \%$
3) In which country do you expect to observe the most influenza cases in July?
A. USA
B. Mexico
C. Argentina
D. Senegal
E. China

## B. True/False (2 pts):

Mark the following as being true (T) or false (F) based on the best answer to the question.
__F__ 4) $\mathrm{R}_{0}$ will decrease in a frequency-dependent transmission system as the number of susceptibles decreases.

## C. Matching (2 pts):

5) Match the general mechanism of seasonality with the correct example(s).
A. Host exposure via contact
B. Host susceptibility
C. Host population size
$\qquad$
$\qquad$ Photoperiodism and latitudinal differences in Polio seasonality in the US
$\qquad$ Measles epidemics in Niger
$\qquad$ Seasonally-pulsed births and latitudinal trends in polio outbreaks in the US
$\qquad$ A spike in measles cases occurs every April in London

## D. Short-answer Question

6) The plot below depicts the outbreak size distribution for four different values of $R_{0}$. Order them by increasing $R_{0}$. For which plot(s) is $R_{0}>1$ ? ( 6 pts)

7) It has recently been suggested that measles determines polymicrobial herd immunity.
A. What does "polymicrobial herd immunity" mean? (2 pts)

Refers to situation where transmission and pathogenesis of one infectious disease is impacted by another pathogen, especially following vaccination against that pathogen.
B. What evidence was provided in support of this claim? (4 pts)

Mina et al. (2015) showed an association between measles incidence and mortality due to nonmeasles infectious diseases (1 pt). Further, they documented declines in mortality due to nonmeasles infectious diseases when the measles vaccine was rolled out in England \& Wales, USA and Denmark (1 pt). The association was strongest if the 'measles shadow' lasted 30 months (1 pt ). The authors also demonstrated higher odds of acquiring bacterial invasive disease within 30 months of a measles infection (1 pt).
C. What mechanism is believed to be responsible for immunomodulation by the measles virus? (2 pts)

Measles-induced amnesia thought to be due to depletion of pre-existing CD150+ memory lymphocytes and B cells.
D. What is the measles paradox? (1 pt)

The fact that measles suppresses the immune system while simultaneously engendering lifelong immunity to the measles virus.
8) Suppose we have two different outbreaks of disease in two different cities with similar population sizes. The size of the first outbreak is larger than the second. Are we able to conclude the $R_{0}$ associated with the first outbreak is greater than the second, and why? (3 pts)

No. Demographic stochasticity (1 pt) generates variability in the size of outbreaks (1 pt) for a particular value of $R_{0}$. This means that it is possible that the disease in the city with a smaller outbreak has a larger $\mathrm{R}_{0}$ (1 pt).
9) Measles outbreaks have been monitored extensively in England \& Wales for the past few hundred years.
A. What does the critical community size represent? (1 point)

Smallest population of hosts below which disease frequently goes extinct, and above which it persists.
B. After vaccination with an efficacious vaccine, would we expect any change in the critical community size? Explain your answer. (2 points)

We would expect an increase in the CCS (1 pt) because vaccination would act in the same way as reducing the effective birth rate - thus, larger population would be needed to ensure chain of transmission is unbroken inbetween epidemics (1 pt).
C. Identify and explain one potential reason for why we do not observe what we expect after the introduction of the routine immunization program in England \& Wales in 1968. (2 points)

Best explanation at present is that spatial asynchrony (1pt) led to the rescue effect (1 pt ), thereby expected increase in fade out frequency not observed.
10) You are presented with the following set of equations, parameters and initial conditions:

$$
\begin{gathered}
\frac{d S}{d t}=\mu N-\mu S-\beta S I \\
\frac{d I}{d t}=\beta S I-\mu I-\gamma I-\alpha I \\
\frac{d R}{d t}=\gamma I-\mu R
\end{gathered}
$$

$$
\mu=0.3, \alpha=0.4, \beta=0.2, \gamma=0.1, \mathrm{~S}(0)=100, \mathrm{I}(0)=1 \text {, and } \mathrm{R}(0)=0
$$

a. Describe the biological meaning of each parameter. (4 pts)
$\mu=$ host per capita birth/ death rate (1 pt)
$\alpha=$ virulence (death rate due to pathogen) (1 pt)
$\beta=$ infection rate or transmission rate between hosts (1 pt)
$1 / \gamma=$ recovery rate of infected hosts (1 pt)
b. By studying the spread of an infectious disease at the start of an epidemic, derive the formula for $R_{0}$ and calculate this value for the parameters given. ( 4 pts )
$\frac{d I}{d t}=\beta S I-(\gamma+\mu+\alpha) \quad$ (1 pt for correctly identifying the equation to derive these from)
Assume $\mathrm{I}=1$ and $\mathrm{S}=\mathrm{N}$. Infection starts with 1 person and, by definition of $\mathrm{R}_{0}$, everyone at the beginning of the epidemic is susceptible. ( 1 pt for identifying these substitutions and substituting them correctly)

$$
\frac{d I}{d t}=\beta N-(\gamma+\mu+\alpha)
$$

This quantity needs to be positive for the pathogen to invade $\left(R_{0}>1\right)$. For this to happen, $\beta N>(\gamma+\mu+\alpha)$.

Therefore we set $\mathrm{R}_{0}$ to $\beta N /(\gamma+\mu+\alpha)$. ( 1 pt for this step)
$\mathrm{R}_{0}=\beta N /(\gamma+\mu+\alpha)=(0.2 * 100) /(0.3+0.1+0.4)=20 / 0.8=25\left(1 \mathrm{pt}\right.$ for correct $\left.\mathrm{R}_{0}\right)$
c. Derive the formula for threshold density and calculate this value for the parameters given. (3 pts)

The threshold density is when $R_{0}=1$ so you set the above $R_{0}$ equation to 1 and solve for $N$.
$\mathrm{R}_{0}=\beta N /(\gamma+\mu+\alpha)=1\left(1 \mathrm{pt}\right.$ for setting $\left.\mathrm{R}_{0}=1\right)$
$\beta N=(\gamma+\mu+\alpha)$
$N_{T}=(\gamma+\mu+\alpha) / \beta$ (1 pt for correct $\mathrm{N}_{\mathrm{T}}$ formula)
$N_{T}=\frac{0.3+0.1+0.4}{0.2}=0.8 / 0.2=4$ (1 pt for correct threshold density value)

